

ALG 1: RATIONAL NUMBERS

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Advanced Algebra 1 | Lesson Examples/Notes Consecutive Integers

Consecutive Integers Definition -

If you start with any given integer and count by ones, you will get consecutive integers. So consecutive integers are ONE apart!

Starting with 5, the next four consecutive integers are:

$$5, \underline{6+} \quad \underline{7+} \quad \underline{8+} \quad \underline{9}$$

Example 1: Two consecutive integers have a sum of 77. Find the integers.

1) Variable: Let n = the first integer

2) Words: Let $n + 1$ = the second integer
first integer + second integer = sum

$$3) \text{ Equation: } n + (n+1) = 77$$

$$\begin{array}{r} 2n + 1 = 77 \\ \hline 2n = 76 \\ \hline n = 38 \end{array}$$

5) Solution:
& Check:

) The sum of two consecutive integers is 243. Find the integers.

Variables: Let $n = 1^{\text{st}}$ integer
 $n+1 = 2^{\text{nd}}$ integer

Words: 1st integer + 2nd integer = sum

$$4) \text{ Equation: } n + (n+1) = 243$$

$$\begin{array}{r} 2n + 1 = 243 \\ \hline 2n = 242 \\ \hline n = 121 \end{array}$$

Solution/Check:

2) The sum of three consecutive integers is 234. Find the integers.

Variables: Let 1st = n 2nd = $n+1$ 3rd = $n+2$

Words: 1st + 2nd + 3rd = sum

$$5) \text{ Equation: } n + (n+1) + (n+2) = 234$$

Solve:

$$\begin{array}{r} 3n + 3 = 234 \\ \hline 3n = 231 \\ \hline n = 77 \end{array}$$

$$\begin{array}{r} 1^{\text{st}} \quad 77 \\ 2^{\text{nd}} \quad 78 \\ + 3^{\text{rd}} \quad 79 \\ \hline 234 \end{array}$$

Solution/Check:

Consecutive Integers (EVEN or ODD)

Note: Even or odd consecutive integers are always TWO apart.

• Name the next three consecutive ODD integers larger than 3.

$$3, \underline{5+2} \quad \underline{7+2} \quad \underline{9}$$

• Name the next three consecutive EVEN integers larger than 2.

$$2, \underline{4+2} \quad \underline{6+2} \quad \underline{8}$$

Example 2: Two consecutive ODD integers have a sum of 92. Find the integers.

1) Variable: Let n = the first integer
Let $n + 2$ = the second integer

2) Words: first integer + second integer = sum

$$3) \text{ Equation: } n + (n+2) = 92$$

$$\begin{array}{r} 1^{\text{st}} \quad 45 \\ 2^{\text{nd}} \quad 47 \\ + 47 \\ \hline 92 \end{array}$$

4) Solution:
& Check:

$$n = 45$$

5) Find two consecutive ODD integers whose sum is -68.

Variables: Let $n = 1^{\text{st}}$ $n+2 = 2^{\text{nd}}$ odd int.

Words: 1st odd + 2nd odd = sum

$$6) \text{ Equation: } n + (n+2) = -68$$

$$\begin{array}{r} 1^{\text{st}} \text{ odd} \quad -35 \\ + 2^{\text{nd}} \text{ odd} \quad -33 \\ \hline -68 \end{array}$$

Solution/Check:

$$n = -35$$

7) Find three consecutive integers such that the sum of the first and third is 22.

Variables: Let: 1st = n 2nd = $n+1$ 3rd = $n+2$

Words: 1st int + 3rd int = sum

$$8) \text{ Equation: } n + (n+2) = 22$$

$$\begin{array}{r} 1^{\text{st}} \quad 10 \\ + 3^{\text{rd}} \quad 12 \\ \hline 22 \end{array}$$

Solution/Check:

$$\begin{cases} n = 10 \\ 10, 11, 12 \end{cases}$$