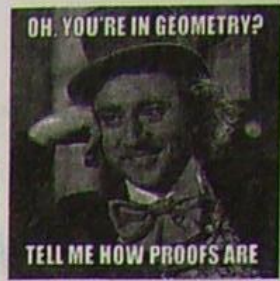


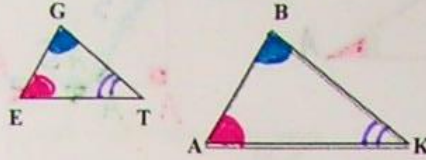
Geometry: 7.2 - Mo' Theorems!

Duh!



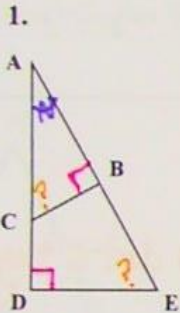
Theorem: If 2 angles of a triangle are \cong to 2 angles of another triangle, then the 3rd angles must be \cong .

Given: $\angle G \cong \angle B$
 $\angle E \cong \angle A$



Conclusion: $\triangle T \cong \triangle K$

Reason: No Choice Thm



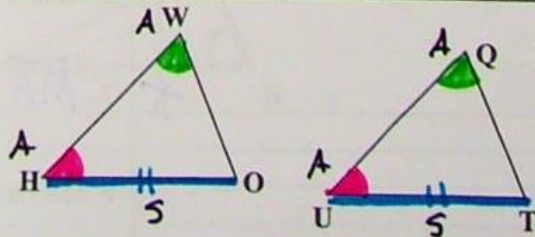
Given: $\overline{AD} \perp \overline{DE}$
 $\overline{CB} \perp \overline{AE}$

Prove: $\angle ACB \cong \angle E$

Statements	Reasons
1. $\overline{AD} \perp \overline{DE}$	1. Given
2. $\angle D$ is a rt. \angle	2. \perp segs form rt \angle 's
3. $\overline{CB} \perp \overline{AE}$	3. Given
4. $\angle ABC$ is a rt. \angle	4. Same as #2
5. $\angle ABC \cong \angle D$	5. All rt \angle 's are \cong
6. $\angle A \cong \angle A$	6. Reflexive Property
7. $\angle ACB \cong \angle E$	7. No Choice Thm

And introducing a **NEW** theorem for proving triangles congruent!

Given: $\angle W \cong \angle Q$
 $\angle H \cong \angle U$
 $\overline{OH} \cong \overline{TU}$



Conclusion: $\triangle WHO \cong \triangle QUT$ by AAS

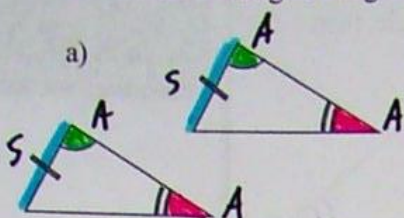
* Corresponding Parts of Congruent Triangles are Congruent

7.1 Notes: Triangle Application Theorems

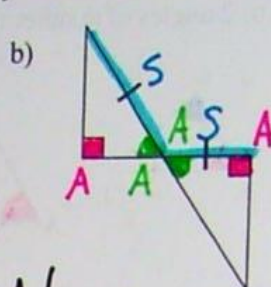
Name the 5 methods we have learned to prove triangles congruent:

SSS, SAS, ASA, HL, AAS

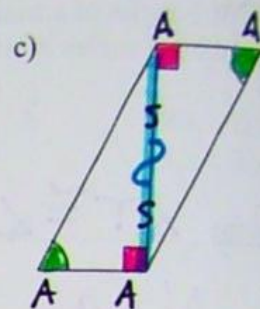
2. Are the 2 triangles congruent by AAS? (yes or no)



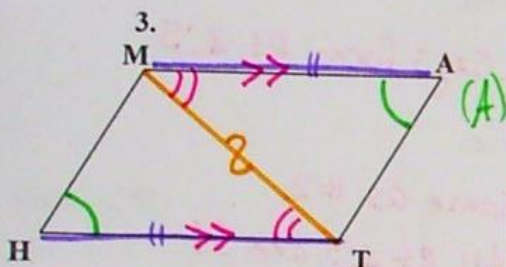
Yes



No



Yes



Given: $\angle H \cong \angle A$
 $\overline{MA} \parallel \overline{HT}$
Prove: MATH is a

Statements	Reasons
1. $\angle H \cong \angle A$	1. Given
2. Draw \overline{MT}	2. 2 pts det a seg
* 3. $\overline{MA} \parallel \overline{HT}$	3. Given
(A) 4. $\angle AMT \cong \angle HTM$	4. \parallel lines \rightarrow alt int \angle s \cong
(S) 5. $\overline{MT} \cong \overline{MT}$	5. Reflexive Prop
6. $\triangle MHT \cong \triangle TAM$	6. AAS (1, 4, 5)
* 7. $\overline{MA} \cong \overline{HT}$	7. CPCTC
8. MATH is a	8. IF quad has one pair opp sides BOTH \cong & $\parallel \rightarrow$

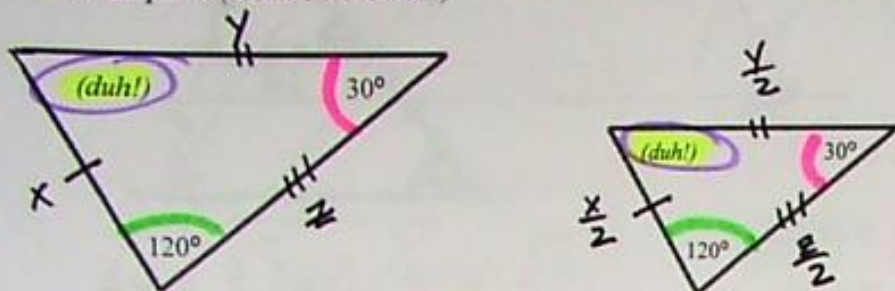
7.1 Notes: Triangle Application Theorems

7.2 Two Proof-Oriented Triangle Theorems

Your book refers to the following as the NO-CHOICE Theorem.

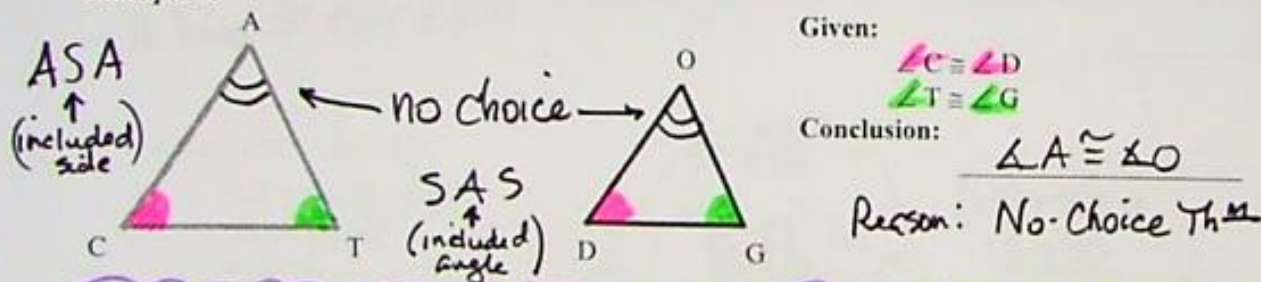
Theorem 53: If two angles of one triangle are congruent to two angles of a 2nd triangle, then the 3rd angles are congruent. (*No-Choice Theorem*)

Example 1: (recall Theorem 50!)



NOTE: The two triangles **DO NOT** have to be congruent in order to apply the "No-Choice" Theorem

Example 2:



Theorem 54: (AAS) If two angles and a non-included side of one triangle are congruent to the corresponding two angles and non-included side of a second triangle then the triangles are congruent.

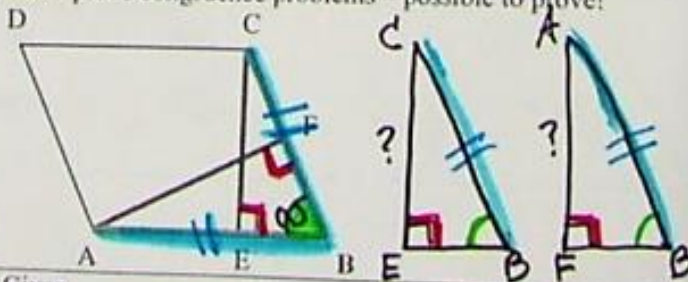
AAS This theorem makes some of the earlier, impossible to prove congruence problems - possible to prove!

Example:
Given:

ABCD is a Rhombus
AF ⊥ CB
CE ⊥ AB

Prove:

$CE \cong AF$



1	ABCD is a Rhombus	1	Given
(S) 2	$AB \cong CB$	2	All sides of a rhombus are \cong
3	$AF \perp CB, CE \perp AB$	3	Given
(A) 4	$\angle CEB \cong \angle AFB$	4	\perp less form \cong rt \angle 's
(A) 5	$\angle B \cong \angle B$	5	Reflexive Property
6	$\triangle CEB \cong \triangle AFB$	6	AAS (4, 5, 2)
7	$CE \cong AF$	7	CPCTC

7.2 Two-Proof Oriented Triangle Theorems

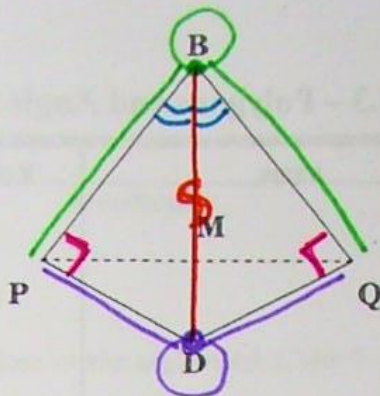
Geometry Examples

Sample 3: (Opener from pg 307 TE)

Given: Ray \overrightarrow{BD} bisects $\angle PBQ$
 $PD \perp PB$, $QD \perp QB$

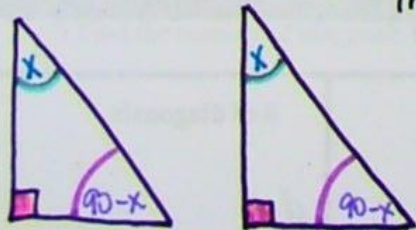
Prove: Line \overline{BD} is the \perp bisector of \overline{PQ}

equidistance thm



Statements	Reasons
1. \overrightarrow{BD} bis $\angle PBQ$	1. Given
2. $\angle PBD \cong \angle QBD$ (A)	2. A bis \angle is \div into 2 \cong \angle 's
3. $PD \perp PB$; $QD \perp QB$	3. Given
4. $\angle BPD \cong \angle BQD$ (A)	4. \perp segs form \cong rt \angle 's
5. $\overline{BD} \cong \overline{BD}$ (S)	5. Reflexive Property
6. $\triangle BPD \cong \triangle BQD$	6. AAS (2, 4, 5)
7. $\overline{DP} \cong \overline{DQ}$ (C.P.T.C)	7. C.P.T.C
8. $\overline{BP} \cong \overline{BQ}$	8. C.P.T.C
9. $\overline{BD} \perp$ bis \overline{PQ}	9. If 2 pts are = dist from endpts of seg, they det \perp bis of seg
10.	10.

Explain: If two right triangles have a pair of congruent acute angles, why must the other pair of acute angles also be congruent?



The two acute angles of a right \triangle are comp. If one acute angle in each triangle is "x", then the other acute angle equals $90 - x$, by "No Choice" | Sum of all angles = 180

$$180 - (90) - x = 90 - x$$

You Do: Please read section 7.2, study sample problems, take notes and record/memorize any properties, theorems, etc. Assignment: 7.2 Assign: Pp 304 - 305 (1 - 10)